



# J-2: Investigation on the limits of the Ray-Tracing method applied on dose analysis for Radiation Hardness Assurance

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#### Outline







- Reminders on the existing dose calculation method in the Radiation Hardness Assurance (RHA) process
- Axis 1: Studying the key parameters impact on the Ray-Tracing accuracy
- Axis 2: Investigating the limits of the Ray-Tracing
- Recommendations and conclusion

#### **Motivation**







- Radiation effects simulation → Key step of the Radiation Hardness Assurance process
- Number of satellite launchings is increasing and accelerating → Increasing demand of radiation analysis
- Increasing use of COTS instead of Rad-Hard parts → Reduction of the design dose

#### **Motivation**







- Radiation effects simulation → Key step of the Radiation Hardness Assurance process
- Number of satellite launchings is increasing and accelerating → Increasing demand of radiation analysis
- Increasing use of COTS instead of Rad-Hard parts → Reduction of the design dose
- The Ray-Tracing (used a lot) is very fast, but relies on strong hypotheses contrary to the Reverse Monte Carlo (reference in the space industry)
- The space market is evolving, but the Ray-Tracing tool did not really evolve for 40 years
- Need to increase the accuracy and keep a low computation time

Main motivation: Survey of the key parameters and assumptions made in the Ray-Tracing

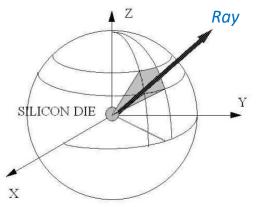
#### Context: some reminders



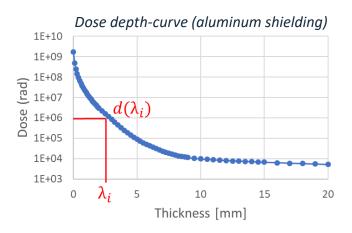




- Two methods are used in the space industry to compute the dose inside a spacecraft:
  - 1) Ray-Tracing (RT) = Sector analysis
  - 2) Reverse Monte Carlo (RMC) = Particle-matter interactions



Dividing the space into sectors



$$D = \sum_{i=1}^{N} \frac{d(\lambda_i)\Omega_i}{4\pi}$$

Total dose computation

$$\lambda_i = \frac{t_i}{\cos(\theta)} \frac{\rho_{Mi}}{\rho_{Alu}}$$

Equivalent aluminum thickness

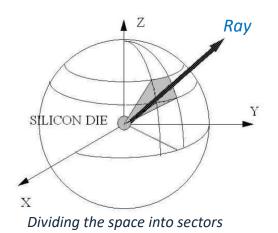
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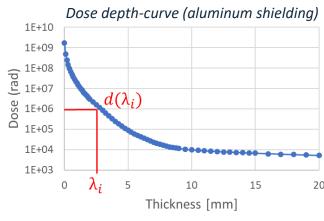






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- + Fast computation time (<1s for 1 detector)
- Generally overestimates the dose
- Straight line propagation of particles

Density ratio

Equivalent aluminum thickness

$$D = \sum_{i=1}^{N} \frac{d(\lambda_i)\Omega_i}{4\pi}$$

Total dose computation

Equivalent aluminum thickness: material density ratio

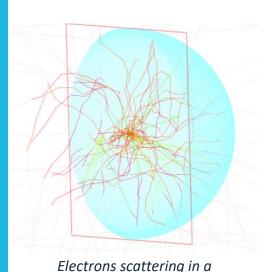
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sphere

Geometrical boundary (ionization)

Primary particle  $e_1^-, \varepsilon_1, \vec{v}_1$  Secondary particle  $e_2^-$  Step 1

Vacuum Material

Physical process (ionization)

Secondary particle  $e_2^-$  Step 2

Particle-matter interactions at each step

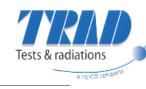
- + Energy loss calculated all along the real particle path
- + Creation and tracking of secondary particles
- + Considers realistically the materials
- + Better accuracy on the deposited dose level
- Slower than Ray-Tracing

 $TID = \frac{E}{m}$ 

Total dose computation

## **Objectives**

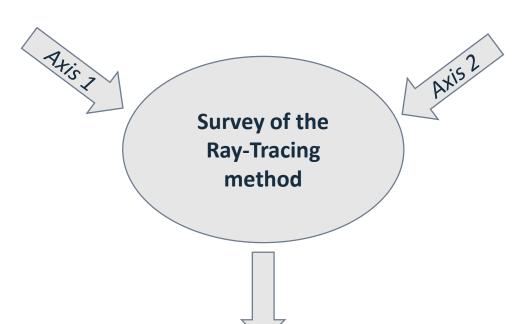








- Studying the key parameters of RT
  - Sectoring resolution
  - Model orientation



- Investigate the Ray-Tracing limits
  - Aluminum equivalent thickness
  - Material distribution
  - Geometric effects

Suggesting recommendations

Proposing ways of improvement for future works







Mission: GEO, 35784km, 15 years = Worst-case for Ray-Tracing

Input data



Geometric models: satellite platforms (G1, G2, JASON) and different units

From R. Benacquista *et al.*, "Comparison of Ray-Tracing and Reverse Monte-Carlo Methods: Application to GEO orbit," in *2019 19th European Conference on Radiation and Its Effects on Components and Systems (RADECS)*, Montpellier, France: IEEE, Sep. 2019, pp. 1–5.

- Detectors randomly placed in each unit
- Combinations of units and satellite platforms
- Total: 5800 detectors



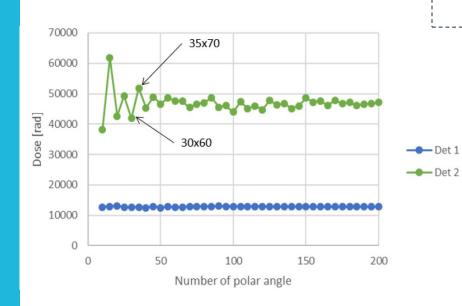
Need for a statistical analysis







#### Statistical analysis



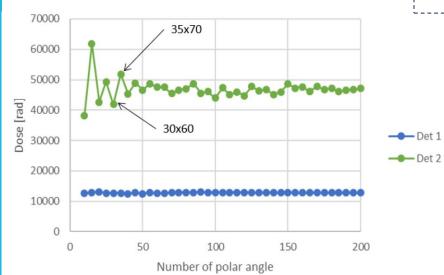
- > Variation of the dose with the **sectoring resolution = Key parameter**
- > Reference dose: RT computation with 100 x 200 sectors
- > Minimum: 30 x 60 sectors, as recommended by ECSS (European standards)



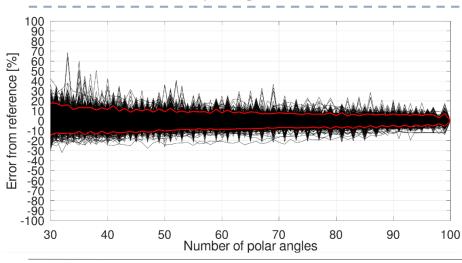




#### Statistical analysis



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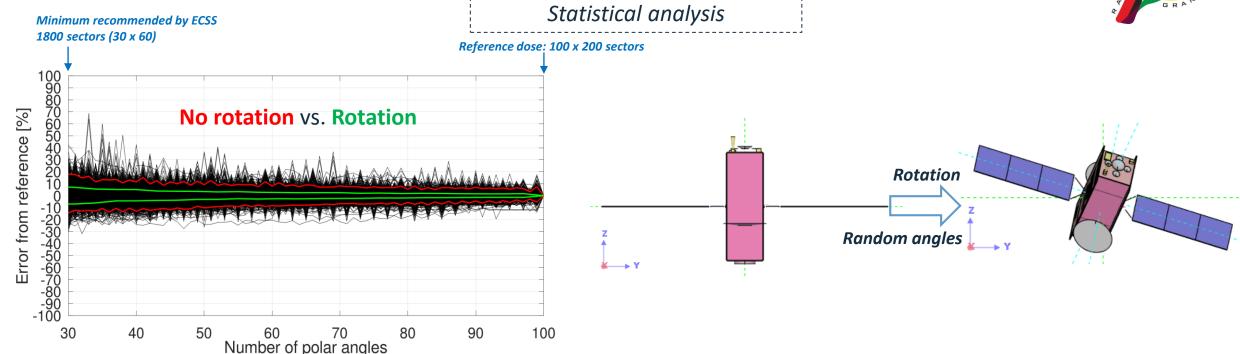


- > Error: relative difference between the reference dose and the calculated one
- 1 black curve = 1 detector
- 5800 detectors on the same graph
- > Pair of colored curves: 1st and 99th percentiles = Dose error interval
- Two configurations: without and with rotation of the geometric model









- number of sectors ≠ ✓ RT accuracy significantly
- 30x60 sectors recommended by ECSS → Sufficient
- Rotation increases the accuracy by lowering the dose error by a factor ≈ 2

**Observations & Results** 

Significant impact of the rotation, contrary to the sectoring resolution

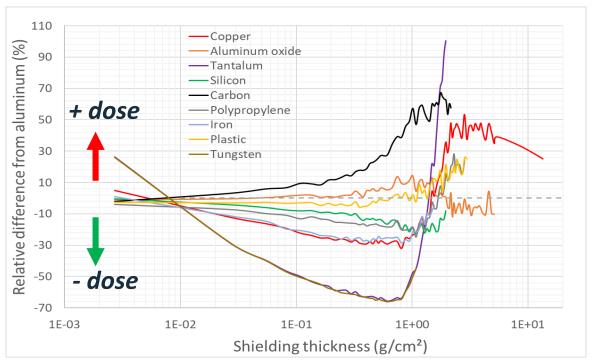






- Improving the consideration of the material:
  - Estimation of the error induced by the density ratio:





Variation of the dose according to the shielding thickness.

Reference material: aluminum



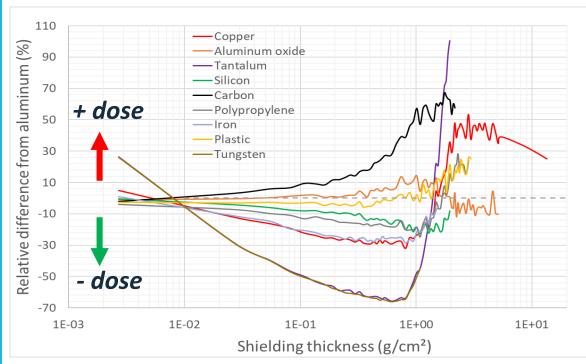




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- Improving the consideration of the material:
  - Estimation of the error induced by the density ratio:





Variation of the dose according to the shielding thickness.

Reference material: aluminum

- Error = relative difference between dose computed for aluminum shielding and another shielding material
- Dose variation: [-70%; +100%] → Non negligible bias
- Provides an idea of the error induced by the aluminum equivalent thickness → Bias in the RT calculation

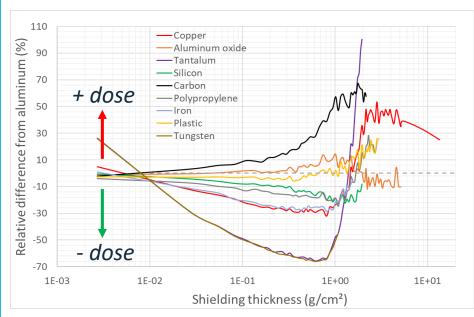






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- Improving the consideration of the material
  - > New approach: use of multiple dose-depth curves (instead of only aluminum)
  - Proposed test: equivalent aluminum thickness that brings the same dose behind the true material thickness shielding



Variation of the dose according to the shielding thickness.

Reference material: aluminum

Mission: GEO, 35784km, 15 years

- Works well on simple geometries (concentric spheres, electrical component package) but less on more realistic ones (unit, satellite platform)
- The material approximation induces some bias but other ones seem to be not negligible: geometric effects







#### Geometric effects:

- Distribution of the materials along the path of the particles
- Spacing between shielding elements





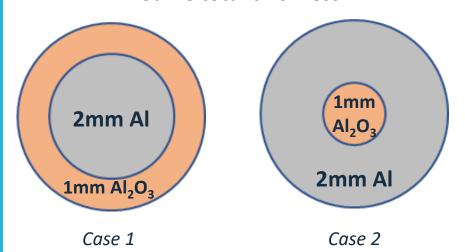


- Geometric effects:
  - Distribution of the materials along the path of the particles
  - Spacing between shielding elements

Case study

Concentric spheres (GEO)

→ Same total thickness









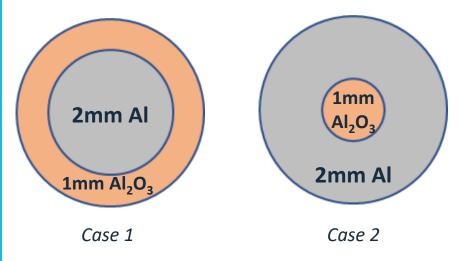
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Case study

Concentric spheres (GEO)

→ Same total thickness





Method	Case 1	Case2
Ray-Tracing	325krad	
Reverse Monte Carlo	336krad (+3,5%)	383krad ( <b>+18%</b> )

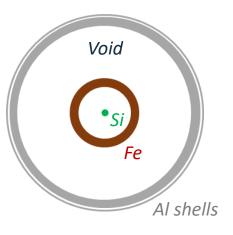
- The Ray-Tracing is not able to take into account the material sequence
- Non negligible bias even for a very simple case







- Geometric effects:
  - Distribution of the materials along the path of the particles
  - Spacing between shielding elements
- Sequence of shielding materials:
  - Silicon, iron and aluminum shells
  - Separated with void spacing



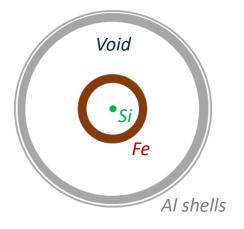






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#### Results

	Dose (krad)	RT error (%)
RT	1378	-
RMC	698	-49

- Factor 2 between the RT and RMC
- Non negligible bias induced by the spacing
  - Scattering of the particles

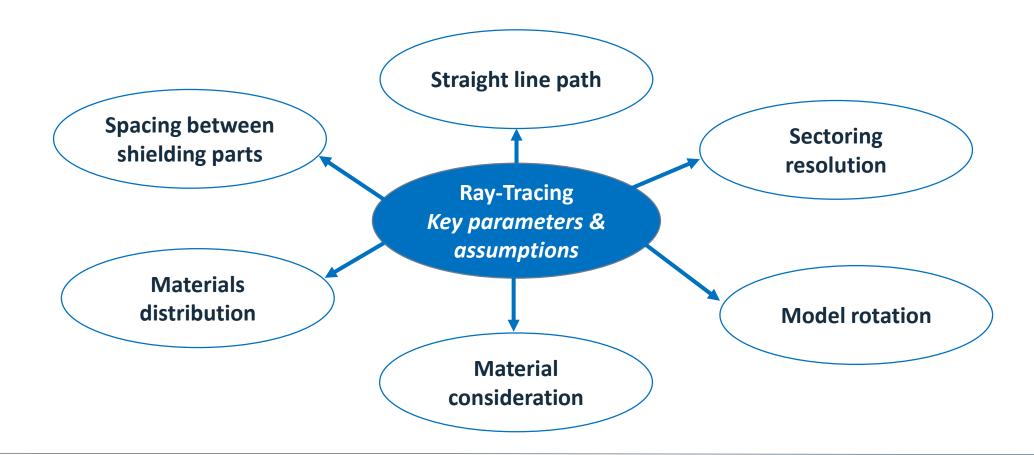
#### Discussion and Conclusion







- Competition between different factors in the Ray-Tracing calculation
  - ➤ Quantifying each of them independently is a harsh task → Act at the same time



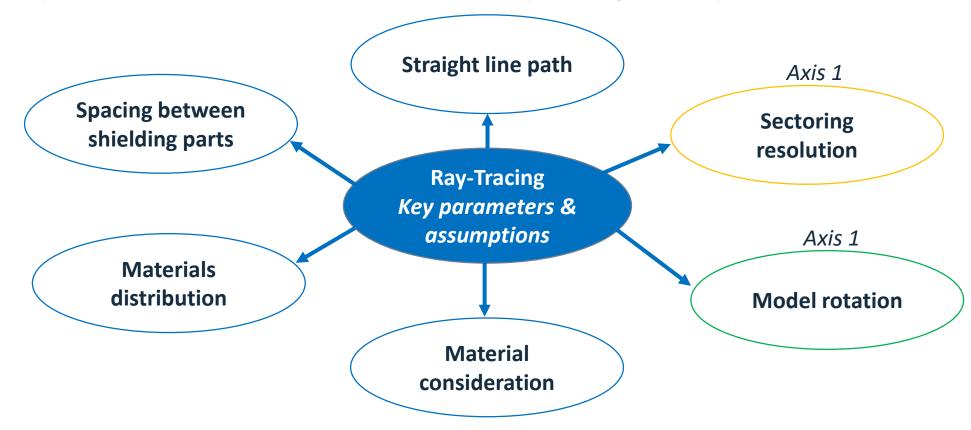
#### **Discussion and Conclusion**







- Axis 1: Studying the key parameters impact on the Ray-Tracing accuracy
  - ➤ Increase the number of sectors is not very efficient to reduce dose variations
  - > Confirm the minimum number of sectors recommended by ECSS
  - > Apply a random rotation seems to increase the Ray-Tracing accuracy



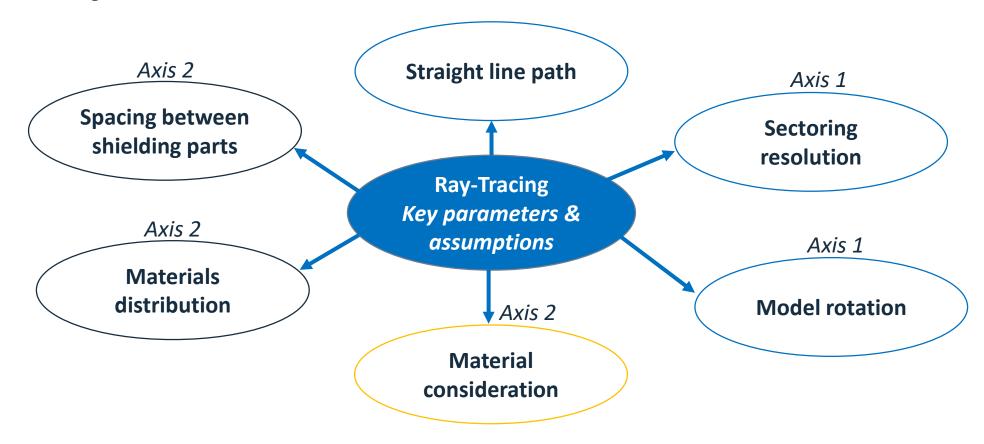
#### Discussion and Conclusion







- Axis 2: Investigate the Ray-Tracing limits
  - ➤ Highlight the limits of the ratio density for the material consideration
  - > Strong impact of the geometric effects on a electron-dominated orbits due to scattering effects



#### Recommendations and Future Prospective







- Recommendations or suggestions
  - ➤ Avoid Ray-Tracing on electron-dominated orbits as much as possible → Confirms ECSS suggestion
  - ➤ Use RMC as a validation tool on most critical cases → Complementary simulations
- Future prospective
  - > Investigate solutions to consider both material and geometric effects at the same time

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#### Thank you for your attention!